

EVALUATION OF WALL HEAT FLUX MODELS FOR CFD SIMULATIONS OF AN INTERNAL COMBUSTION ENGINE UNDER BOTH MOTORED AND HCCI OPERATION

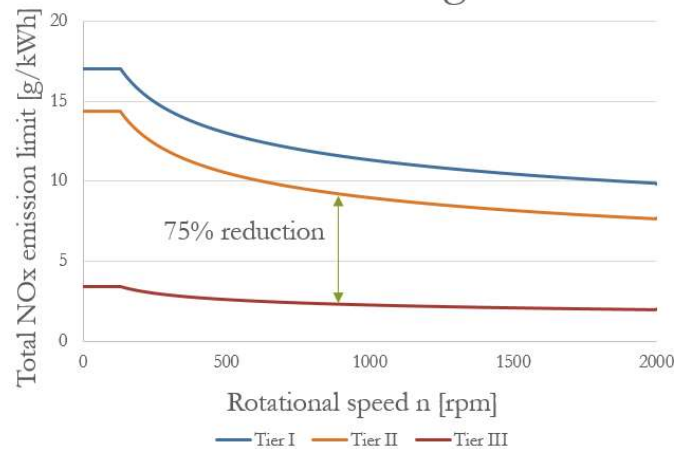
Gilles Decan, Stijn Broekaert, Jan Vierendeels, Sebastian Verhelst

INTRODUCTION



IMO: International Maritime Organization

NO_x emission legislation

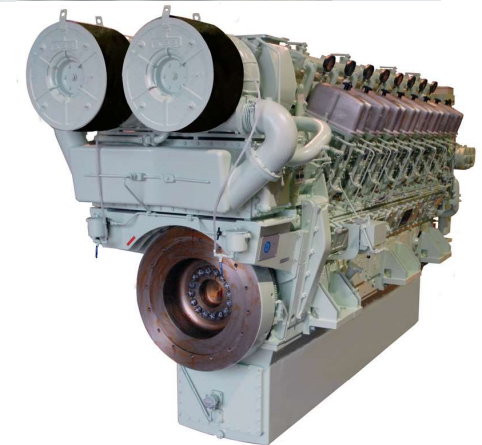
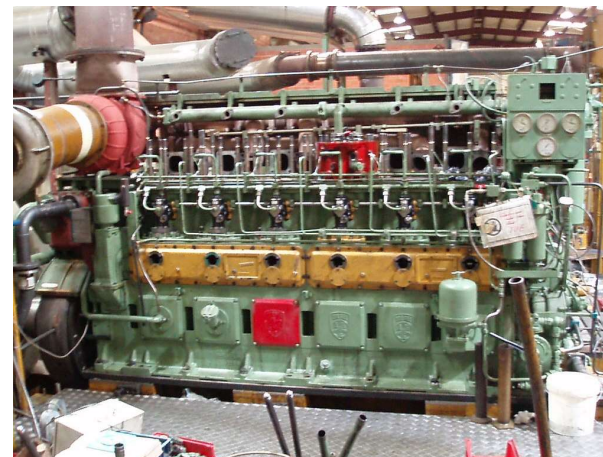
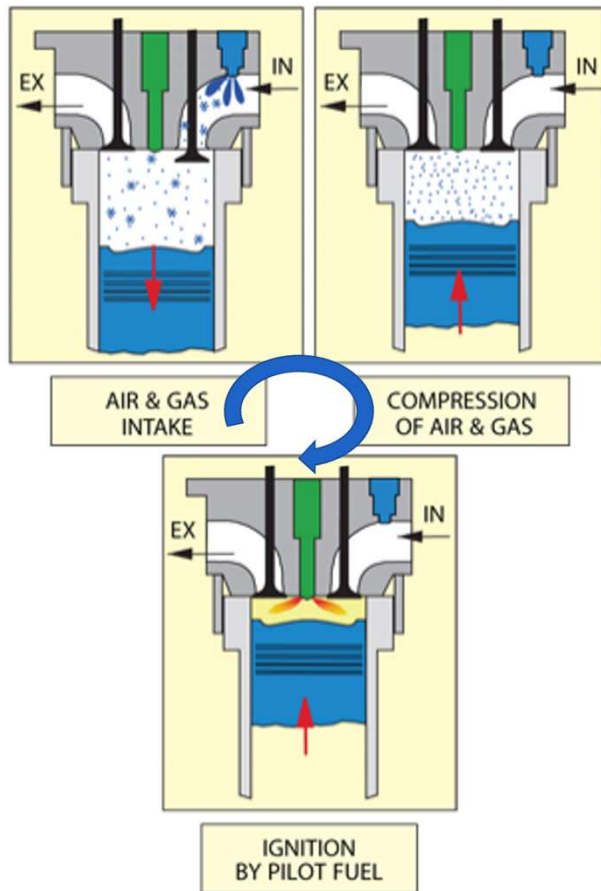


INTRODUCTION

Dual-Fuel Internal Combustion Engine



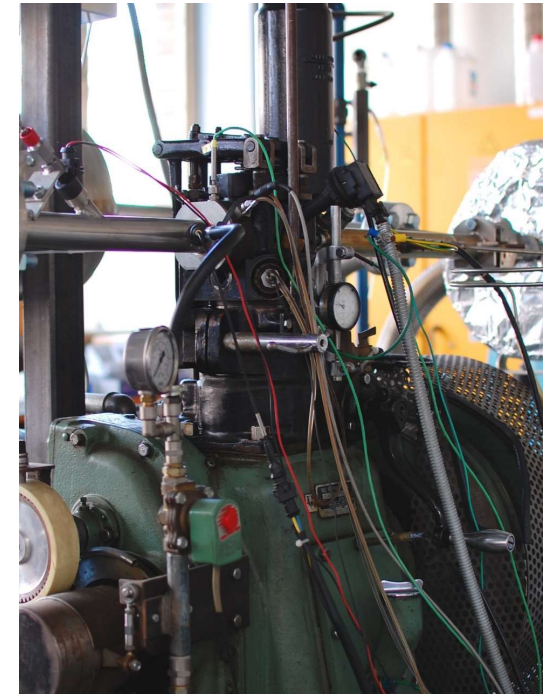
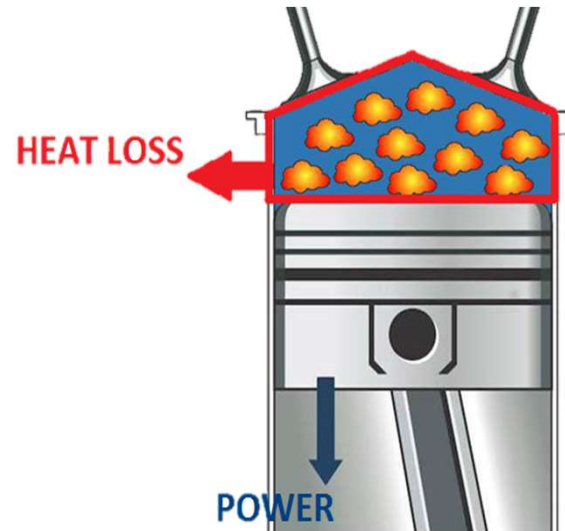
We power your future



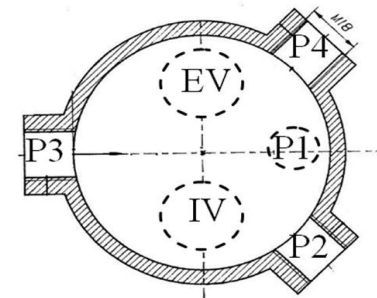
GOALS

- Develop CFD tool to support the development of Dual-Fuel ICE
- Complex: Diesel spray igniting the premixed fuel-air mixture, that burns through flame propagation
- First focus on pieces of the puzzle:
 - Cold flow, in-cylinder analysis
 - Combustion simulations + in-cylinder heat transfer
 - Simulation of a (combusting) marine diesel spray
 - Dual fuel combustion + flame propagation versus extinction

IN-CYLINDER HEAT TRANSFER



- Evaluate heat flux through engine walls
- Analyse predictable CFD wall models
 - Currently being done based on old engine experiments
- Combine in-house experiments with CFD



WALL HEAT FLUX MODELS

- Apply assumptions and simplify thin shear-layer energy eq.

$$\rho c_p \left[\frac{\partial \bar{T}}{\partial t} + \bar{u}_x \frac{\partial \bar{T}}{\partial x} + \bar{u}_y \frac{\partial \bar{T}}{\partial y} \right] = \frac{\partial \bar{p}_0}{\partial t} + \frac{\partial}{\partial y} \left[(\bar{\lambda} + \lambda_t) \frac{\partial \bar{T}}{\partial y} \right] + \dot{Q}$$

$$\rightarrow T^+ = \frac{1}{0.4767} \left[\ln \left(y^+ + \frac{1}{Pr \cdot 0.4767} \right) - \ln \left(40 + \frac{1}{Pr \cdot 0.4767} \right) \right] + 10.2384 + P^+ \left(\frac{y^{+-40+1} \cdot .31(0.476 / Pr)}{0.4767 / Pr} \right)$$

With $T^+ = \frac{\rho u_t c_p T}{q_w} \ln \left(\frac{T_w}{T} \right)$, $P^+ = \frac{\left(\frac{dP}{dt} \right) \nu}{q_w u_t}$ (Rakopoulos et al.)

$$\rightarrow q_w = \frac{\rho c_p u_t T \ln(T_w / T) - \frac{dP}{dt} \frac{\nu}{u_t} \left(\frac{y^+-40}{0.4767 + \frac{1}{Pr}} + 117.31 \right)}{\frac{1}{0.4767} \left[\ln \left(y^+ + \frac{1}{0.4767 Pr} \right) - \ln \left(40 + \frac{1}{0.4767 Pr} \right) \right] + 10.2384}$$

CONVECTIVE HEAT FLUX MODEL

- Calculate heat flux based on the convective law

$$q_w = h (T_{gas} - T_w)$$

→ Model convective coefficient h by Pohlhausen equation

$$\frac{hL}{k} = Nu = a Re^b Pr^c$$

- Characteristic length $L = \text{Bore}$
- Characteristic velocity $U = \sqrt{2k}$
- Constants $a, b \ \& \ c = 0.15, 0.8 \ \& \ 0$

[S. Broekaert. "A Study of the Heat Transfer in Low Temperature Combustion Engines." *Ph.D. at Ghent University* (2018)]

NO MODELLING

- Calculate heat flux from definition with temperature gradient

$$q_w = (\lambda_w + \lambda_{w,t}) \frac{d\bar{T}}{dy} \Big|_w$$

- Low Reynolds formulation
Resolve near wall behavior and temperature gradient
- High Reynolds formulation
Tune by adjusting Pr_t

IMPLEMENTATION IN OPENFOAM

$$q_w = c_p (\alpha_w + \alpha_{w,t}) \frac{d\bar{T}}{dy} \Big|_w$$

α : Thermal diffusivity expressed in kg/m/s

<p>Wall heat flux model</p> $q_w = \frac{\rho c_p u_r T \ln(T_w/T) - \frac{dP}{dt} \frac{y}{u_r} \left(\frac{y^+ - 40}{0.4767 + \frac{1}{Pr}} + 117.31 \right)}{\frac{1}{0.4767} \left[\ln(y^+ + \frac{1}{0.4767 Pr}) - \ln(40 + \frac{1}{0.4767 Pr}) \right] + 10.2384}$	$\alpha_{w,t} = \frac{q_w}{\frac{d\bar{T}}{dy_w} c_p} - \alpha_w$
<p>Convective heat flux model</p> $q_w = h (T_{gas} - T_w)$ $\frac{hL}{k} = Nu = a Re^b Pr^c$	$\alpha_{w,t} = \frac{q_w}{\frac{d\bar{T}}{dy_w} c_p} - \alpha_w$
<p>No modelling</p> $q_w = (\lambda_w + \lambda_{w,t}) \frac{d\bar{T}}{dy} \Big _w$	$\alpha_{w,t} = 0 \quad or \quad \alpha_{w,t} = \frac{\mu_t}{Pr_t}$

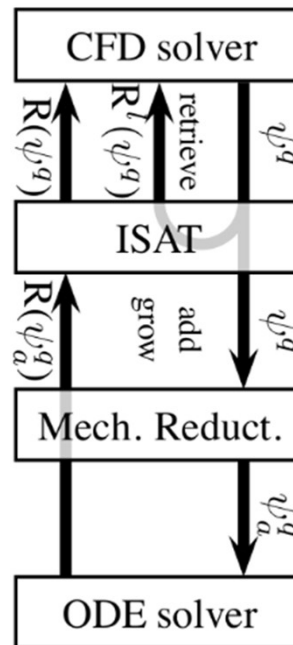
CHEMISTRY SOLVERS

TDAC

- Tabulated Dynamic Adaptive Chemistry
- Tabulate earlier chemistry solutions and try to retrieve “nearby” solutions
- Only keep active, important species before solving ODE

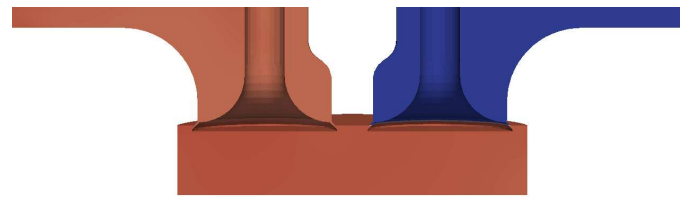
TDAC CCM

- Multi-zone chemistry
- Chemistry Coordinate Mapping
- Don't tabulate, do reduction
- Instead group cells with almost equal state (p, ρ, T) and solve chemistry once for those cells.

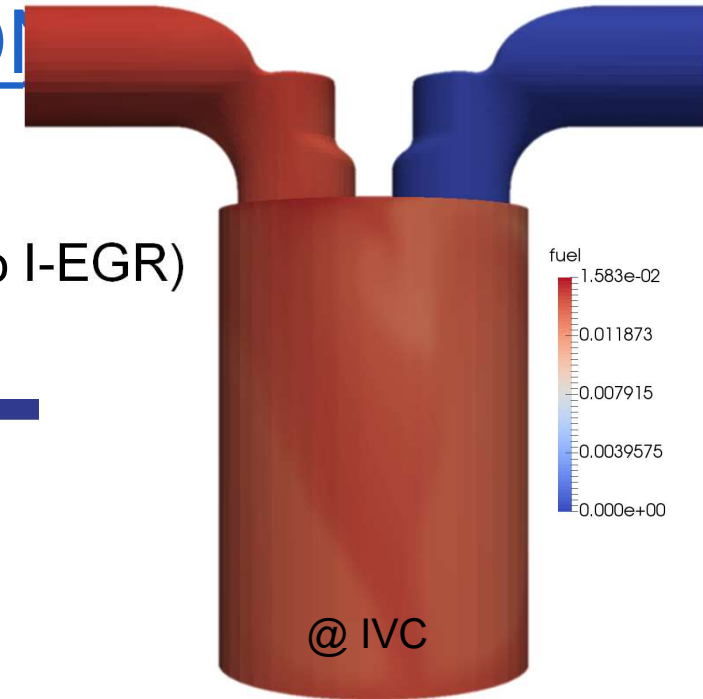


MASS FRACTIONS-INITIALISATION

- Do a full cycle gas dynamics simulation
 - Define mass fraction of important species at IVC (also I-EGR)
 - Check amount of fuel coming in (related with p , T)
 - Check stratification



@ -25° BTDC

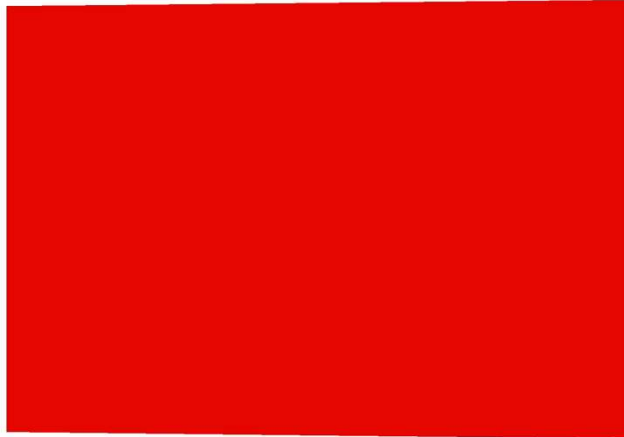


@ IVC

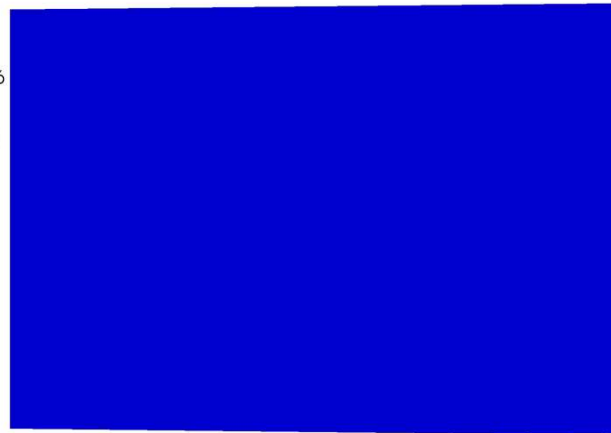
- Volumetric integral

Species	Mass fraction [%]
Fuel = C ₇ H ₁₆	1.439
O ₂	22.102
N ₂	74.694
H ₂ O	1.339
CO ₂	0.426

RESULTS



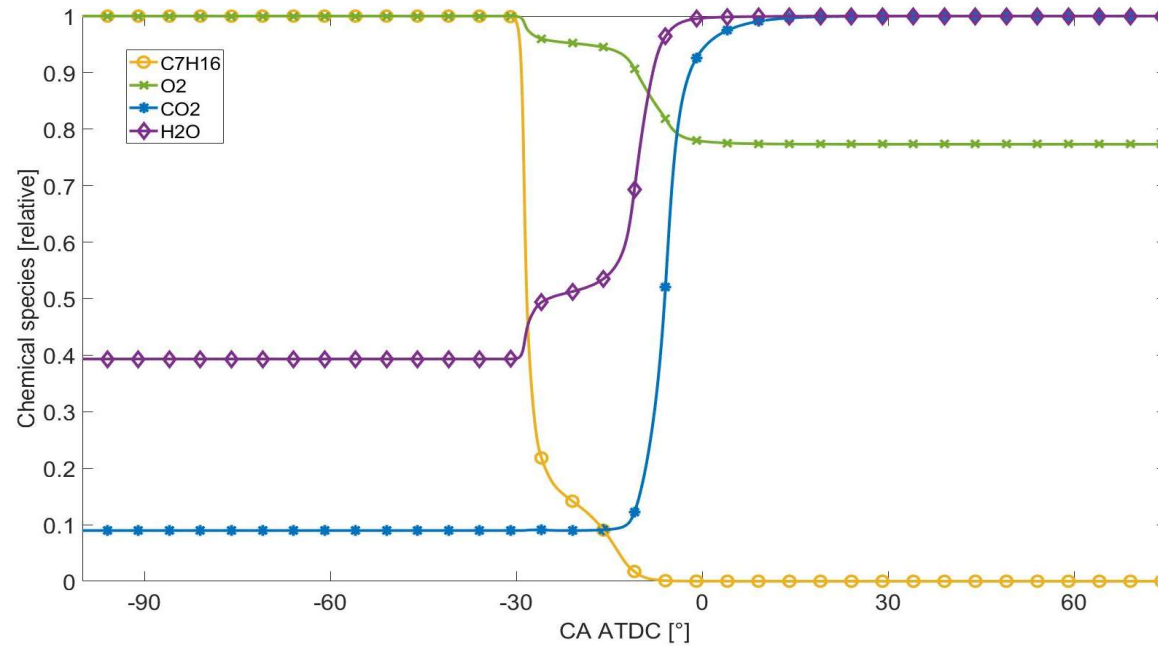
NC7H16
0.014391
0.0001
1e-8
1e-12
5e-15



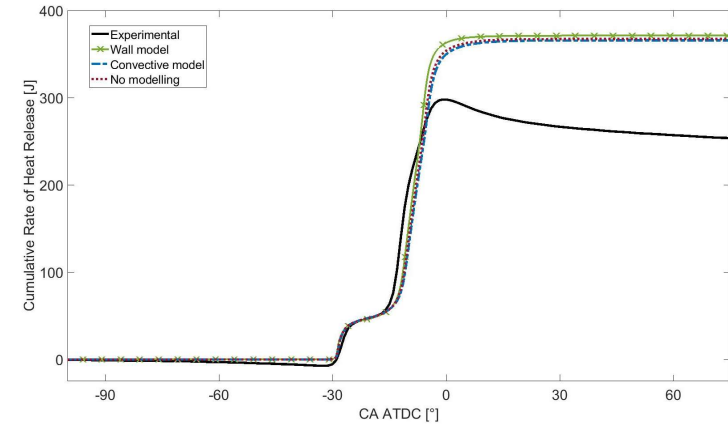
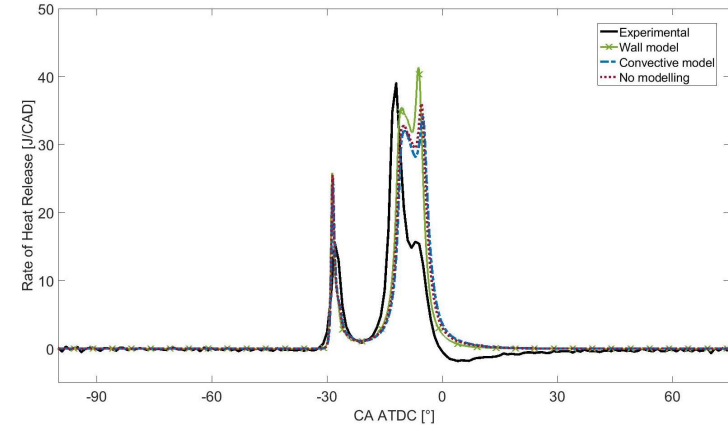
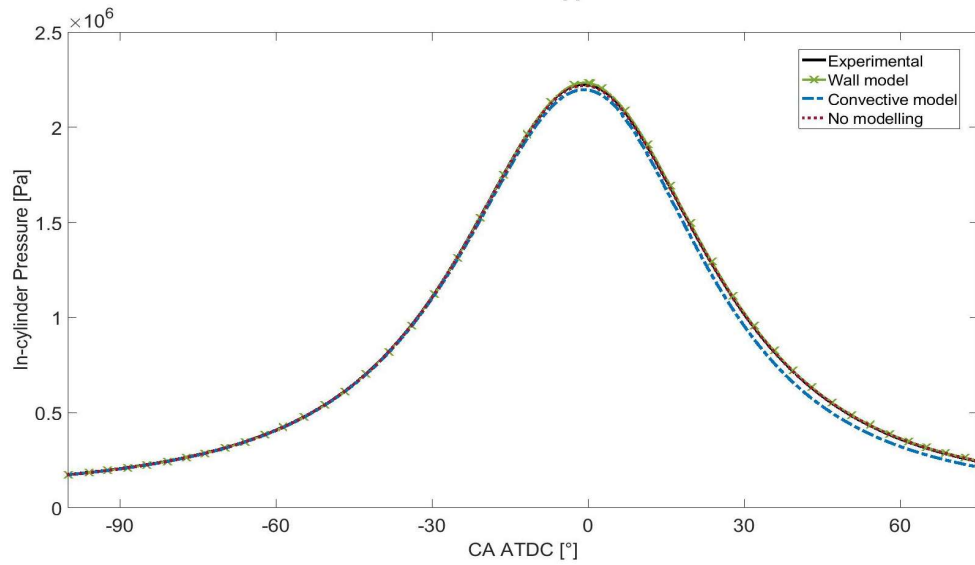
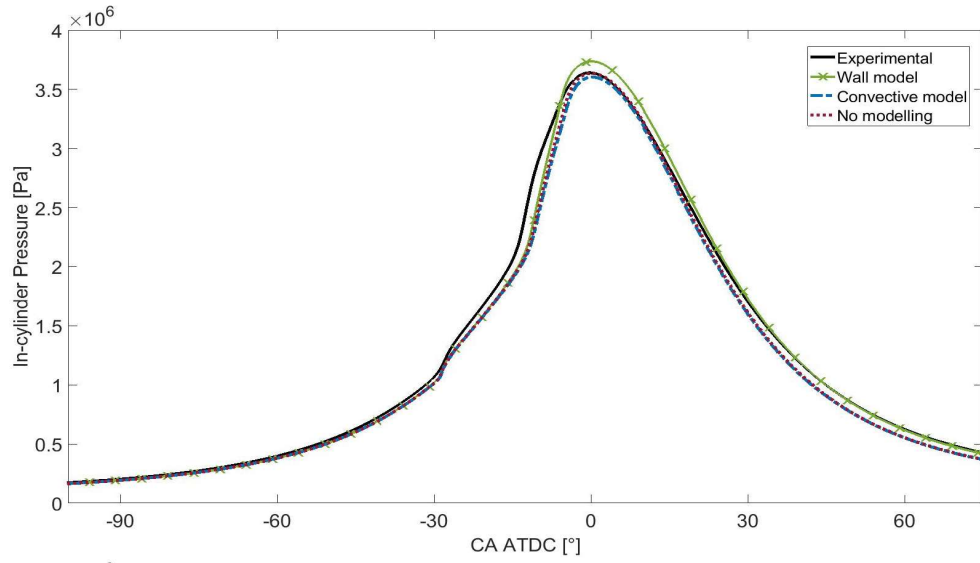
OH
5e-5
1e-8
1e-12
5e-15



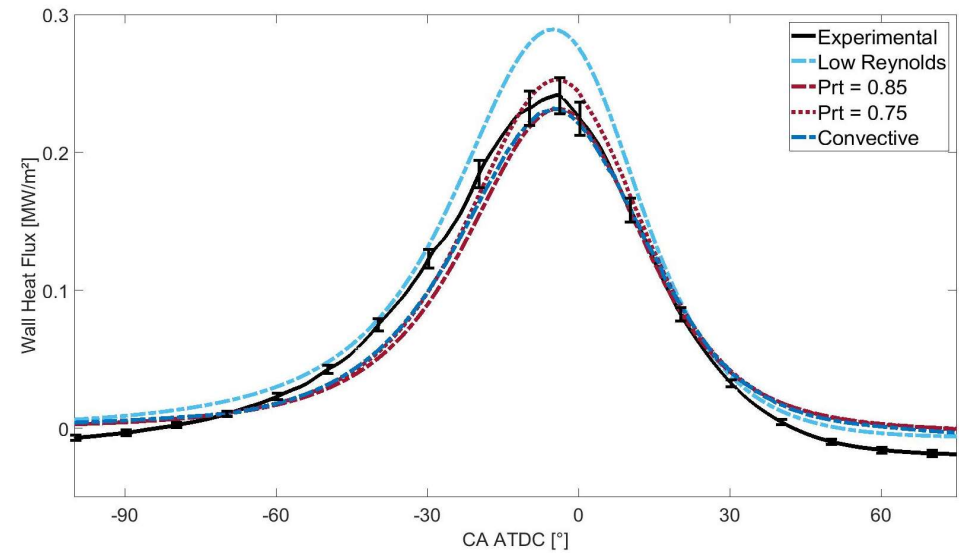
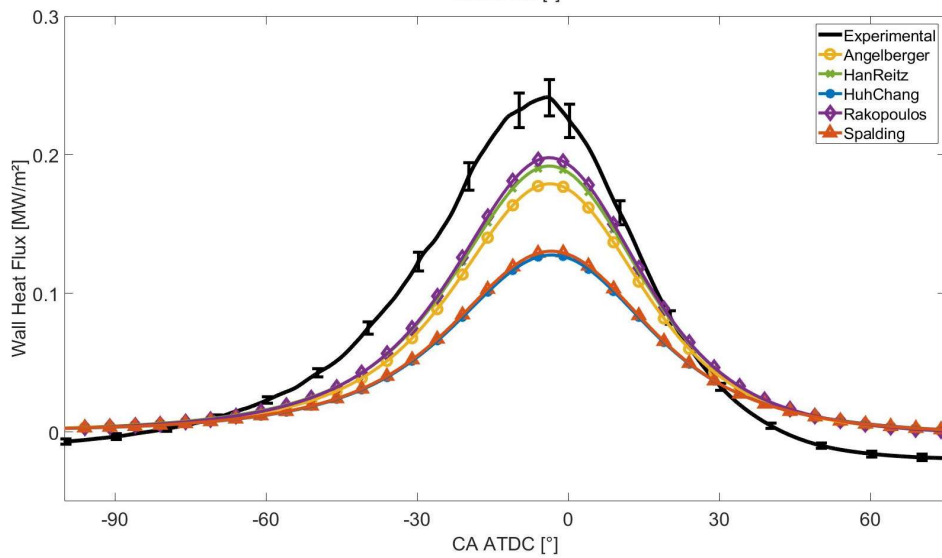
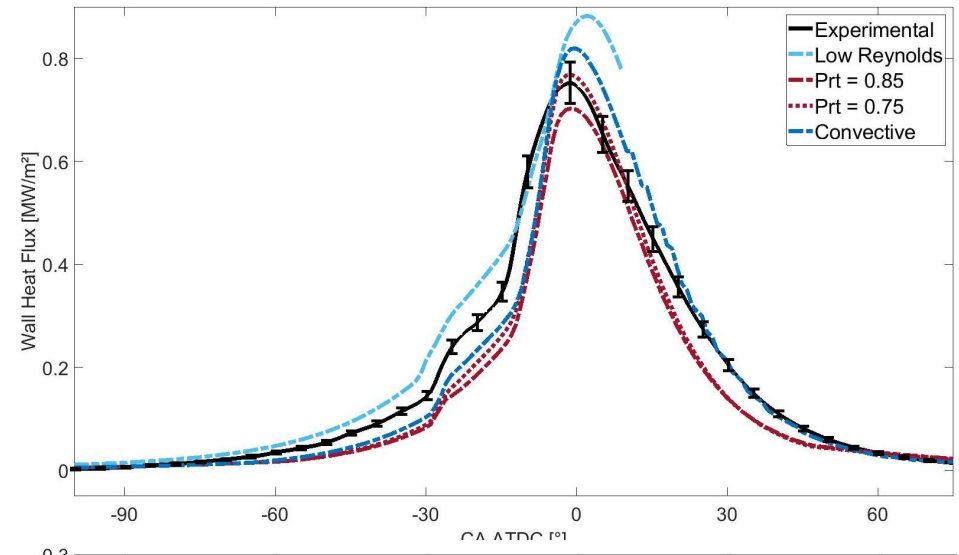
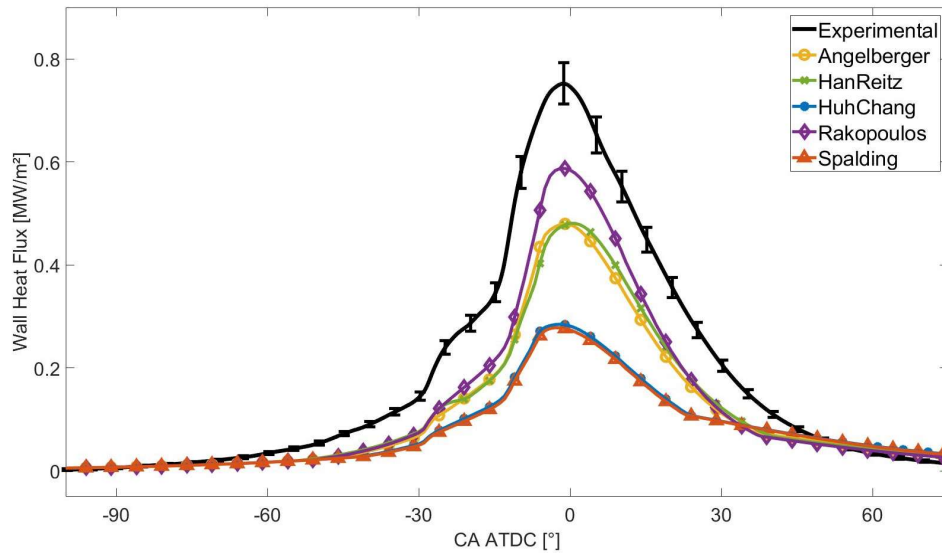
T
1500
1200
800
500



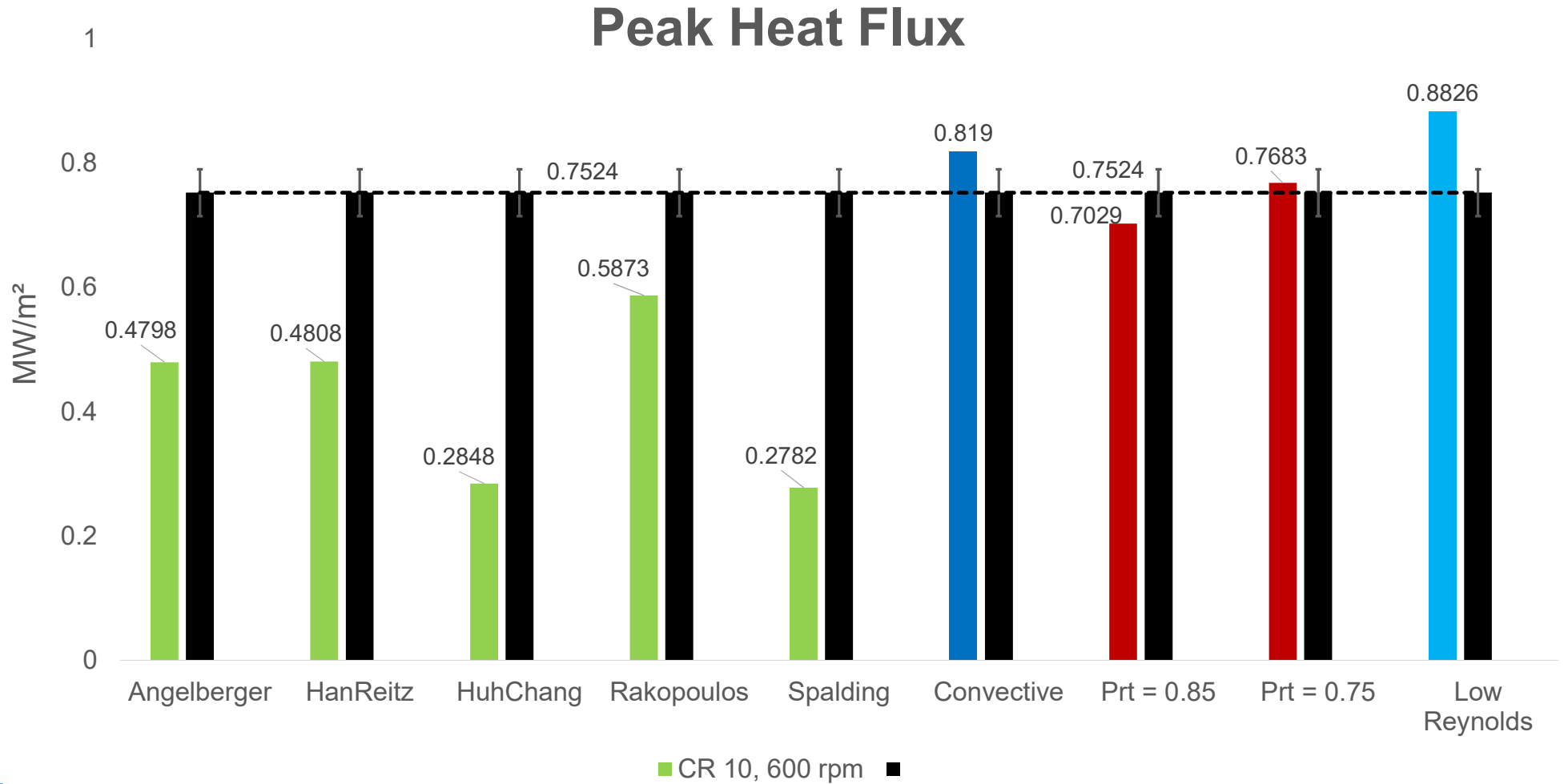
RESULTS



RESULTS – QUALITATIVE

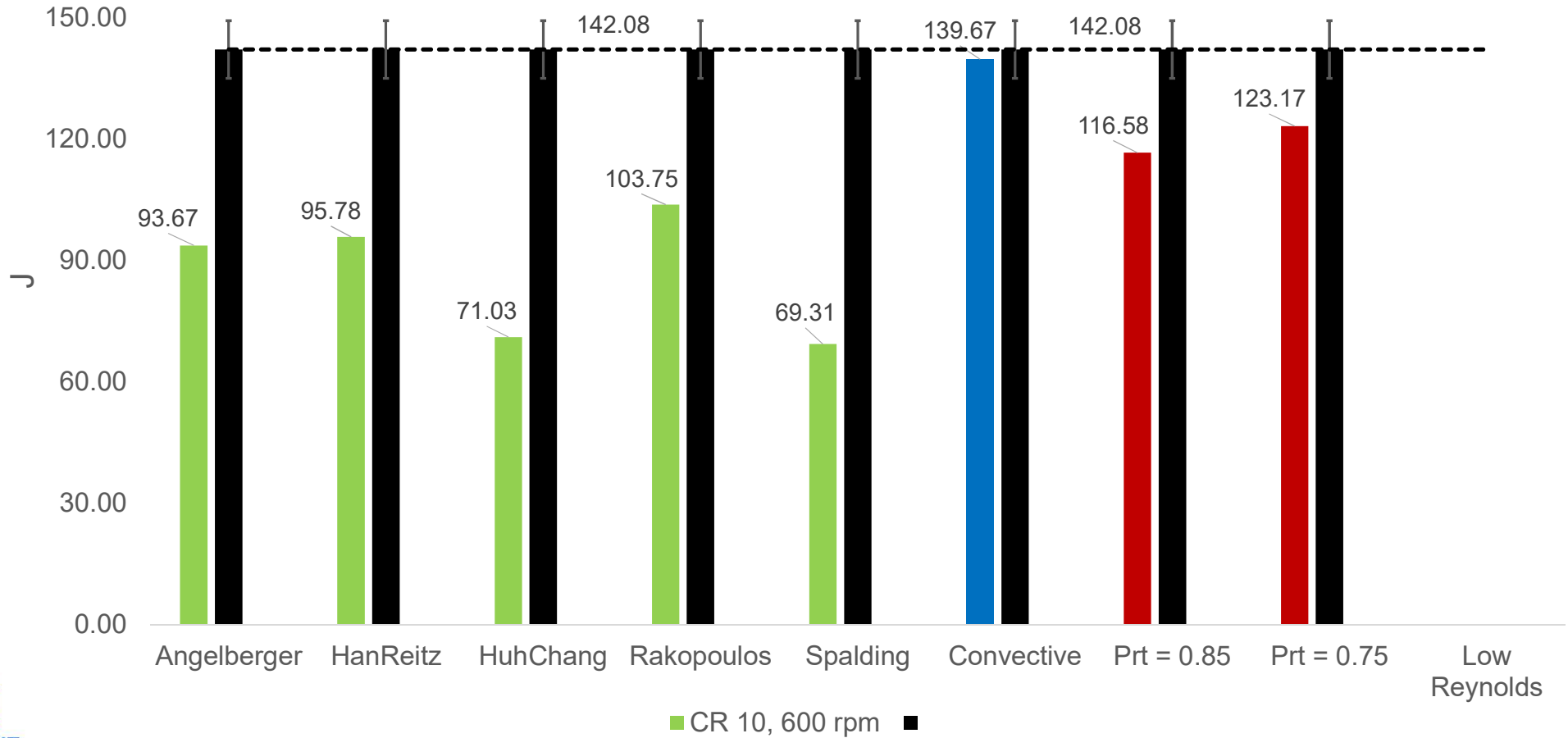


RESULTS – QUANTITATIVE

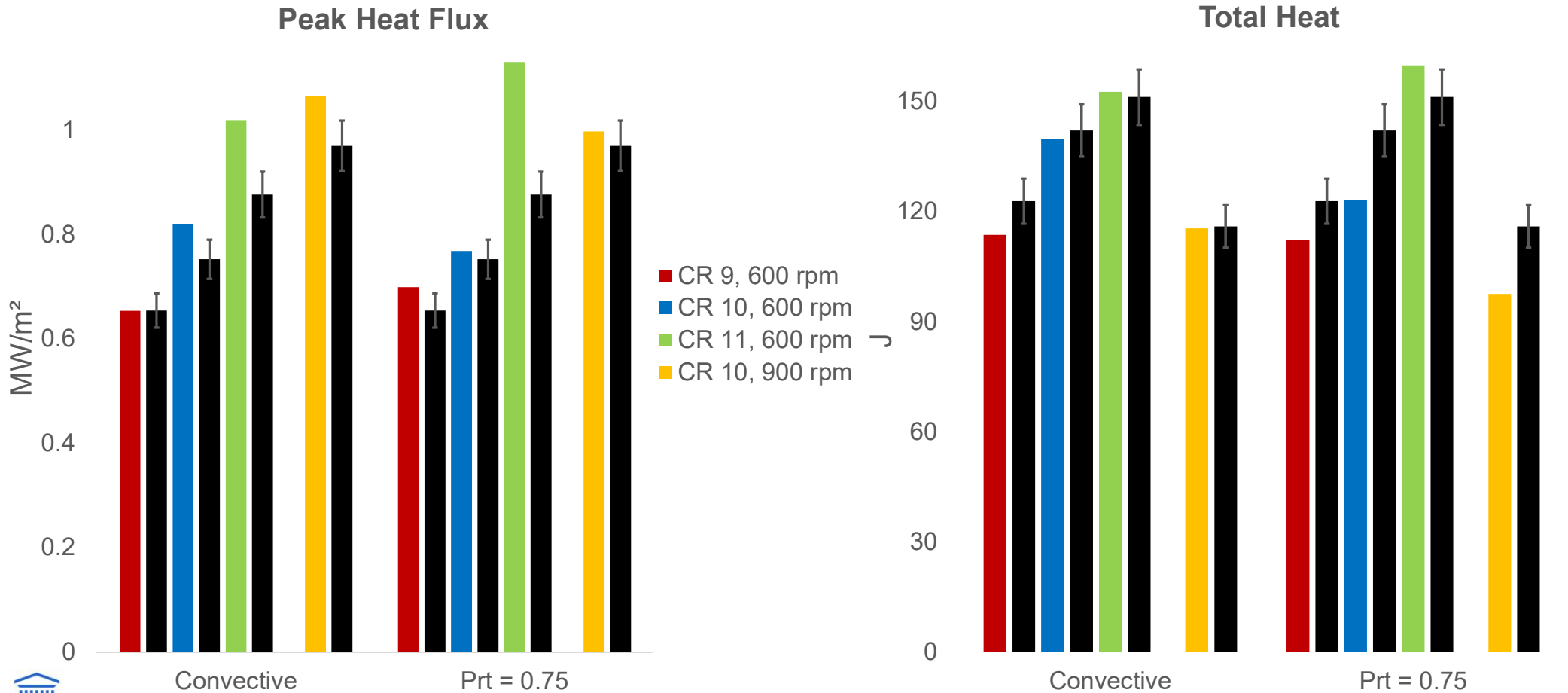


RESULTS – QUANTITATIVE

Total Heat



RESULTS – QUANTITATIVE



CONCLUSIONS

- Able to simulate HCCI operation and study the heat flux through ICE walls
- Wall heat flux models are not able to correctly capture heat flux in ICE's,
 - Quantitatively and qualitatively
- Tuning with Pr_t allows a better prediction of the peak
 - Extension to other operations with same optimal constants doubtful
- Good results with convective law
 - Parameters look to be engine specific
- Low Reynolds approach better matches curve qualitatively, with good results considering peak and integral heat flux
 - Numerically intensive, impractical for 3D engine simulations
- For practical engine optimization:
 - 3D simulation with wall modelling of choice
 - Specific heat flux optimization with closed cycle low Reynolds formulation



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