

Computational modeling of Diesel spray combustion with multiple injections

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1. Motivation

2. Combustion Models

- Representative Interactive Flamelet (RIF)
- Tabulated Flamelet Progress Variable (TFPV)

3. Assessment & Investigation

- Heavy-duty Diesel Engine Combustion Modeling
- Evaluation of Turbulence Models in Diesel Spray Modeling
- Diesel Spray Combustion with Multiple Injections

4. Conclusion

1. Motivation

2. Combustion Models

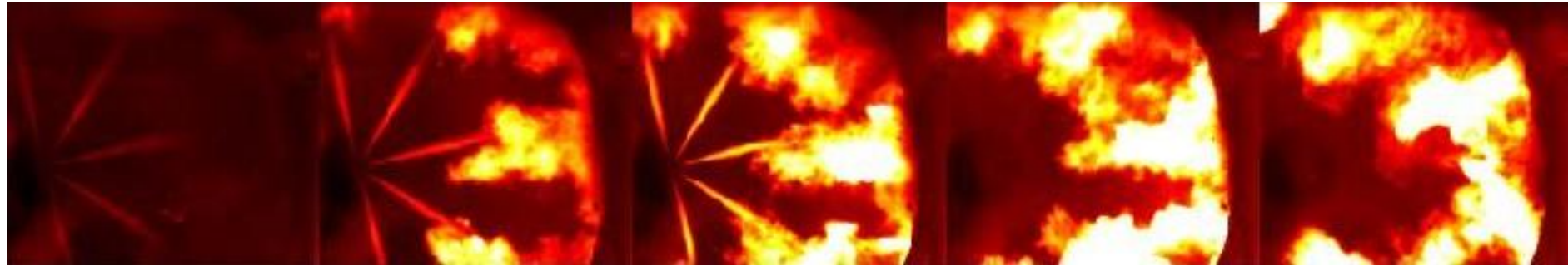
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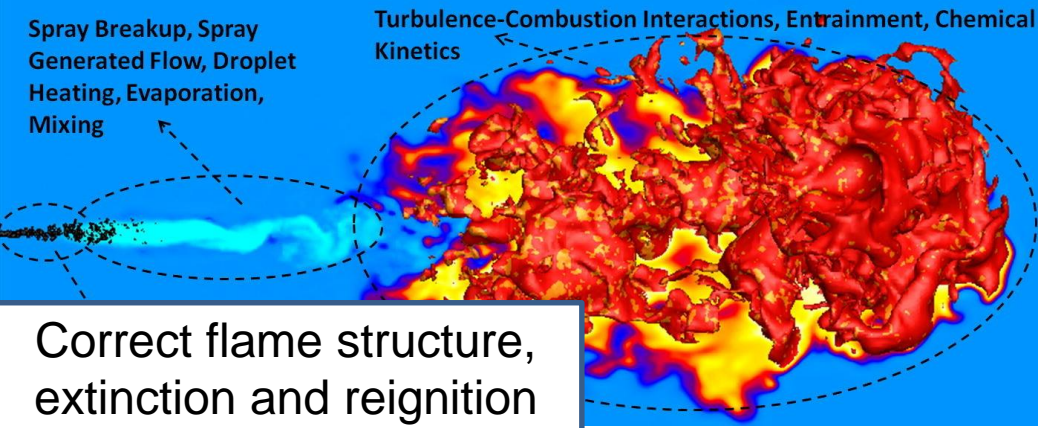
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The secret of engine...

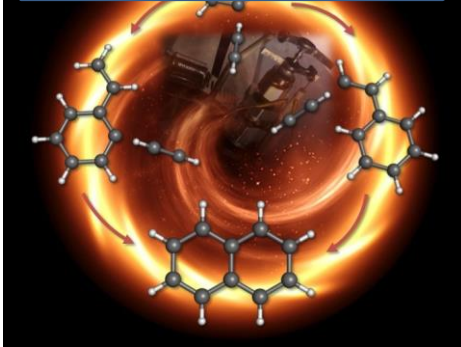


Source: <https://rkdmb.home.xs4all.nl/rkd/engine/engine.html>

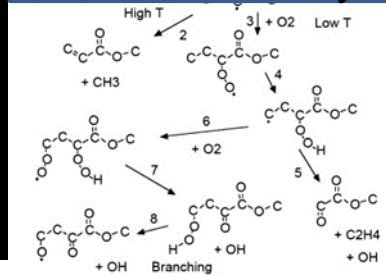


Source: Irannejad A, Banaeizadeh A, Jaber F., Combust. Flame, 2015, 162(2): 431-450.

Soot formation



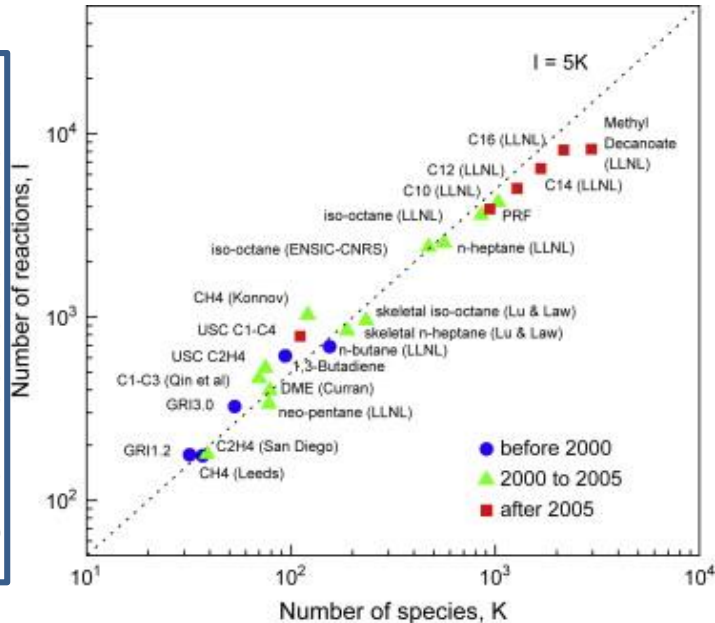
Detailed chemistry is now necessary



Source: Dorian Parker, University of Hawaii

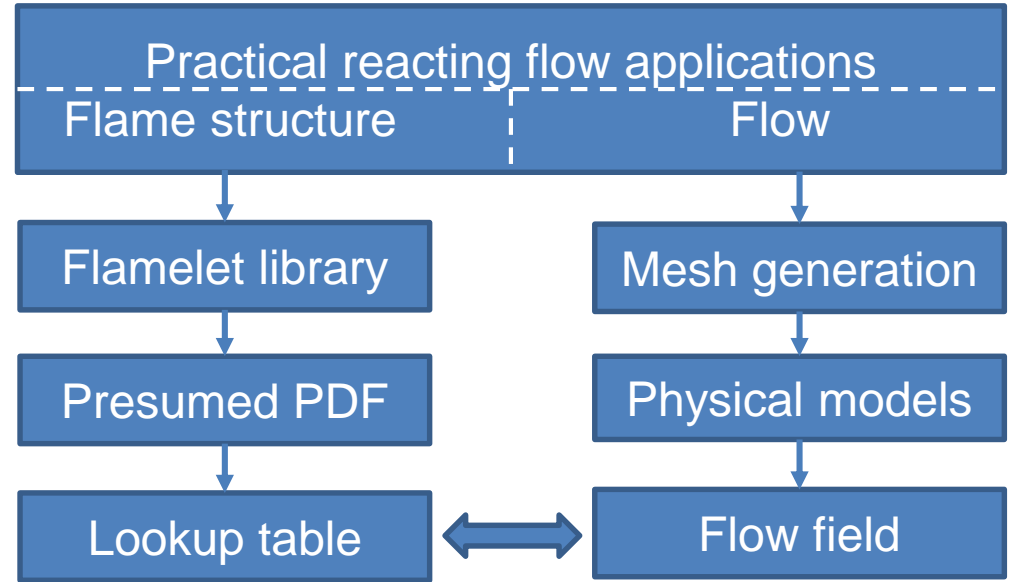
High computational burden...

Chemical source term



Transport equation & diffusion coefficients

Solution: Tabulated Kinetics



For Diesel combustion, the TFPV, assuming unsteady diffusion flame, will be presented

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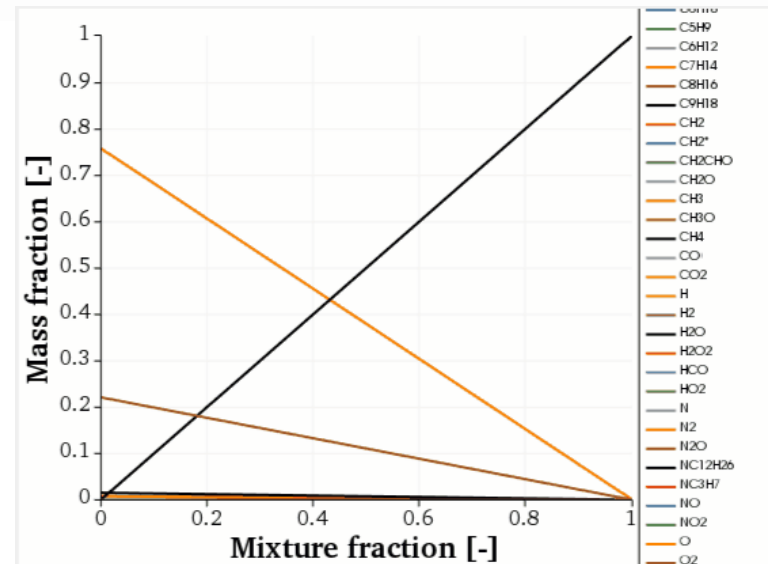
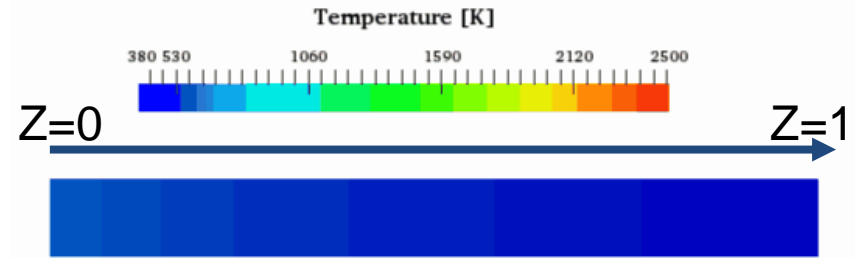
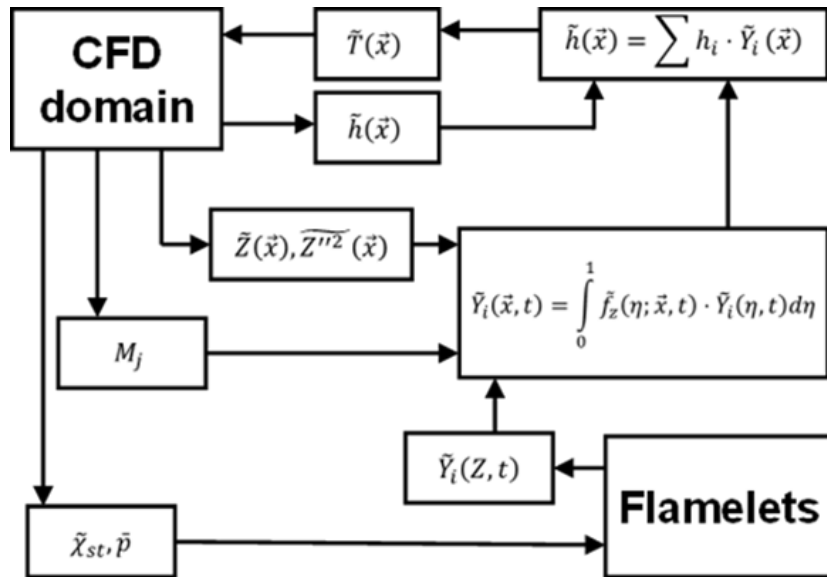
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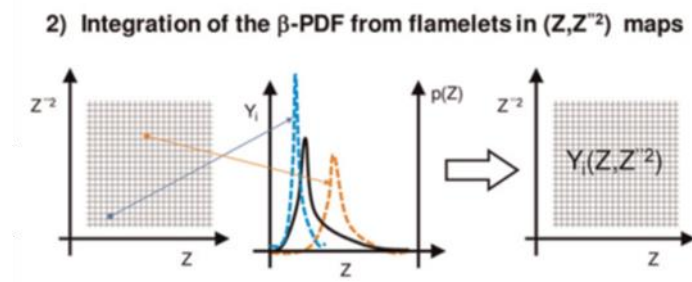
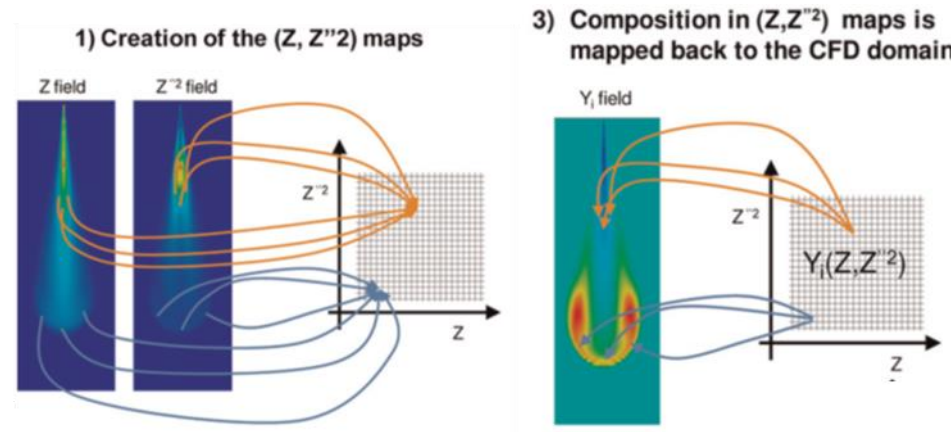
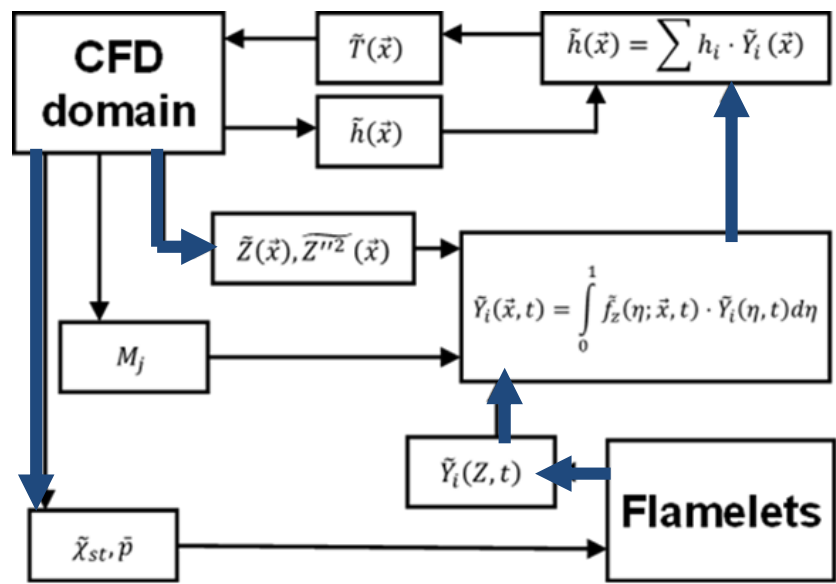
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Laminar flamelet concept describes diffusion flame



- 1: transport equation in CFD domain
- 2: flamelet equation and pdf integration
- 3: update composition in CFD domain



Source: D'Errico, G., Lucchini, T., Onorati, A., & Hardy, G. (2014). International Journal of Engine Research, 16(1), 112–124.

Homogenous chemistry table:

Mechanism, Initial conditions (p, T_w ,
 EGR, ϕ)



0D homogenous reactor solver



Homogenous lookup table (progress
variable reaction rate & compositions)

Progress Variable definition:

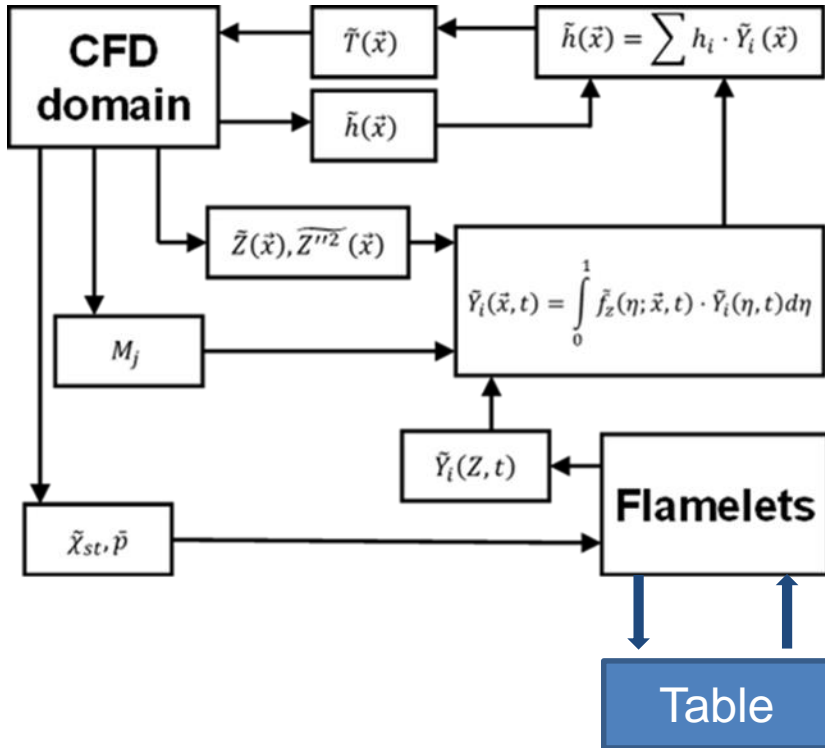
reconstruction of the thermo-chemical state
on the whole reaction trajectory

$$C = \sum_{i=1}^{Ns} h_{298,i} \cdot (Y_i(t) - Y_i(0))$$

- C is equal to the heat released by combustion
 - C=0: unburned mixture
 - C=1: fully burned mixture
- Track both low and high temperature reactions
- uniquely characterizes each point in the thermochemical state space and is appropriate for a transport equation.

Definition adopted from: Lehtiniemi et al., Combust Sci Technol 178, 2006

Tabulated RIF



Flamelet domain

Flamelet equation:

~~$$\rho \frac{\partial h}{\partial t} = \rho \frac{\chi_Z}{2} \frac{\partial^2 h}{\partial Z^2} + \frac{dp}{dt} \quad \rho \frac{\partial Y_i}{\partial t} = \rho \frac{\chi_Z}{2} \frac{\partial^2 Y_i}{\partial Z^2} + \dot{\omega}_i$$~~

$$\rho \frac{\partial h_u}{\partial t} = \rho \frac{\chi_Z}{2} \frac{\partial^2 h_u}{\partial Z^2} + \frac{dp}{dt} \quad \rho \frac{\partial C}{\partial t} = \rho \frac{\chi_Z}{2} \frac{\partial^2 C}{\partial Z^2} + \dot{C}$$

Z, T, p, C

$Y_i \& \dot{C}$

Chemistry table (0 D homogeneous reactor calculations)

CFD solver

Mixture fraction

$$\frac{\partial \bar{\rho} \tilde{Z}}{\partial t} + \nabla(\bar{\rho} \tilde{U} \tilde{Z}) - \nabla(\tilde{\mu}_t \nabla \tilde{Z}) = \dot{S}_Z$$

Mixture fraction variance

$$\frac{\partial \bar{\rho} \tilde{Z}^{\prime 2}}{\partial t} + \nabla(\bar{\rho} \tilde{U} \tilde{Z}^{\prime 2}) - \nabla(\tilde{\mu}_t \nabla \tilde{Z}^{\prime 2}) = 2 \frac{\tilde{\mu}_t}{S_c} |\nabla \tilde{Z}|^2 - \bar{\rho} \tilde{\chi}$$

Stoichiometric scalar dissipation rate

$$\chi_{st} = \frac{\chi}{\int_0^1 \frac{f(Z)}{f(Z_{st})} \tilde{P}(Z) dZ}$$

Progress variable

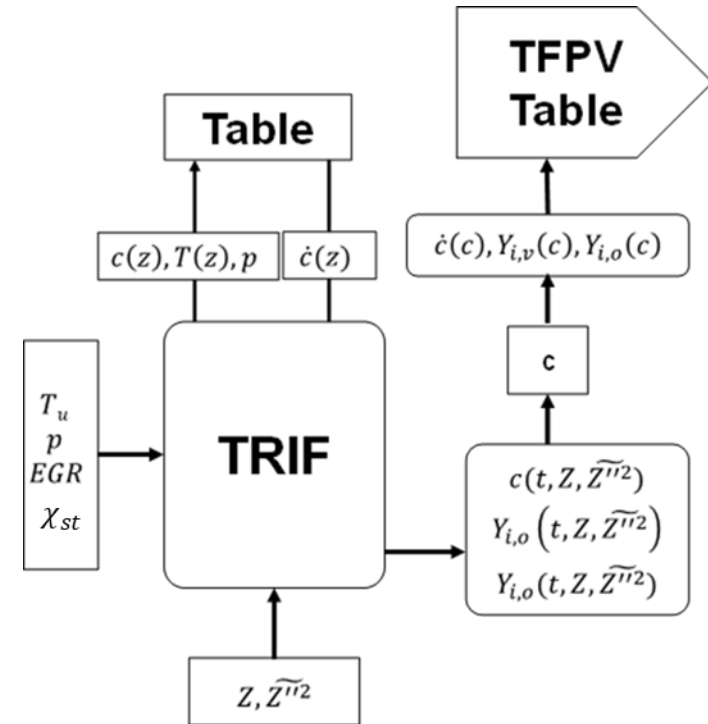
$$\frac{\partial \bar{\rho} \tilde{C}}{\partial t} + \nabla(\bar{\rho} \tilde{U} \tilde{C}) - \nabla\left(\frac{\tilde{\mu}_t}{S_{c_t}} \nabla \tilde{C}\right) = \bar{\rho} \dot{C}$$

Unburned gas enthalpy

$$\frac{\partial \bar{\rho} \tilde{h}_u}{\partial t} + \nabla(\bar{\rho} \tilde{U} \tilde{h}_u) - \nabla(\tilde{\alpha}_t \nabla \tilde{h}_u) = \dot{Q}_s + \frac{\bar{\rho}}{\rho_u} \cdot \frac{D\bar{p}}{Dt}$$

 $\tilde{Z}, \tilde{Z}^{\prime 2}, \chi_{st}$
 c, p, Tu
 $Y_i \& \dot{c}$

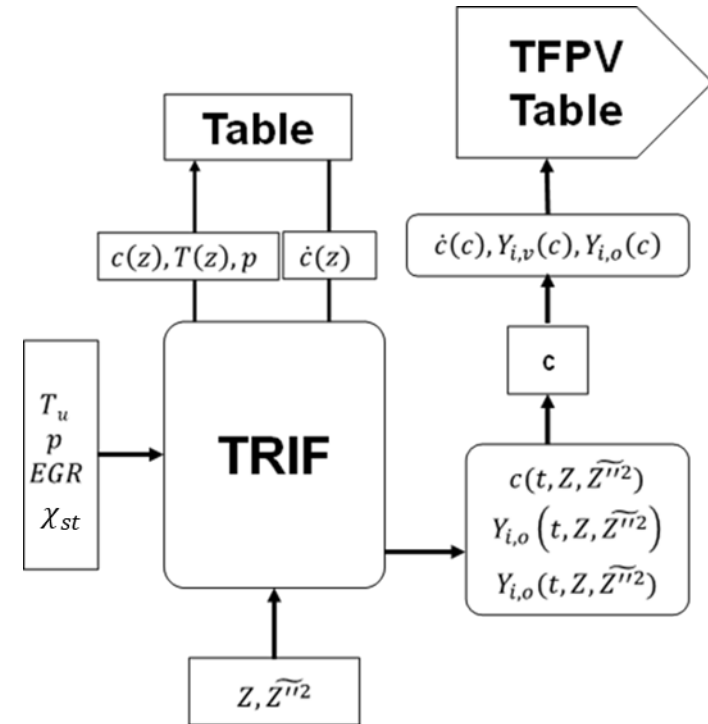
Lookup table (unsteady diffusion flame calculations)



Compared to RIF using a single flamelet formulation, TFPV model is to provide a realistic description of the turbulent diffusion flame, especially in the presence of multiple injections:

- Extinction in the near-nozzle region where the scalar dissipation rate is very high;
- Re-ignition due to progress variable convection and diffusion;
- Flame stabilization process including effects of both premixed and diffusive flame propagation.

Lookup table
(unsteady diffusion flame calculations)



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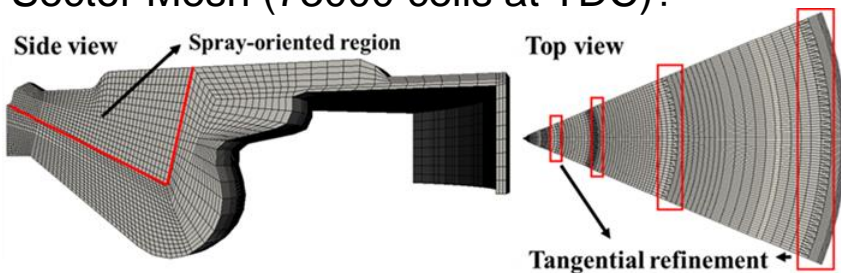
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Heavy-Duty Engine: case setup

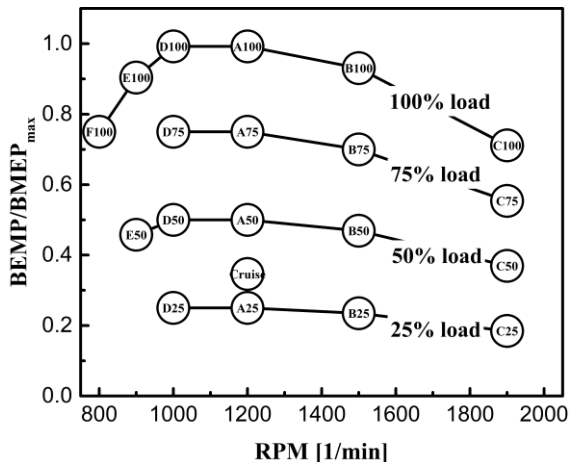
Sector Mesh (73000 cells at TDC):



Engine Specifications:

Bore	128 mm
Stroke	144 mm
Compression ratio	20.5:1
Injector holes	8
Injection cone angle	146°
#injection	1

Simulated operating conditions:



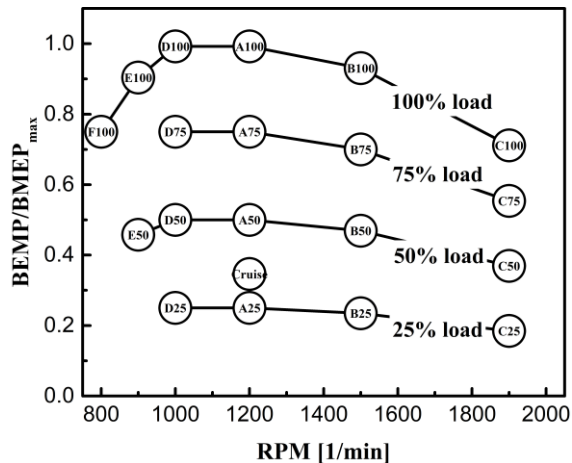
Chemistry table discretization:

Temperature [K]	400, 450, 500, 550, 600, 650, 700, 750, 800, 850, 900, 950, 1000, 1050, 1100, 1150, 1250
Pressure [bar]	20, 60, 100, 150, 200, 250
Equivalence ratio [-]	0, 0.2, 0.4, 0.5, 0.6, 0.7, 0.75, 0.8, 0.85, 0.9, 0.95, 1, 1.05, 1.1, 1.15, 1.2, 1.25, 1.3, 1.35, 1.4, 1.5, 1.6, 1.7, 1.8, 1.9, 2, 2.2, 2.4, 2.6, 2.8, 3, 3.5, 1e15
Mixture fraction variance segregation [-]	0, 0.001, 0.005, 0.01, 0.05, 0.1, 1.0
Scalar dissipation rate [1/s]	0, 1, 3, 7, 20, 55, 100

Three chemistry tables were generated, each one for operating points with similar oxidizer chemical compositions at IVC.

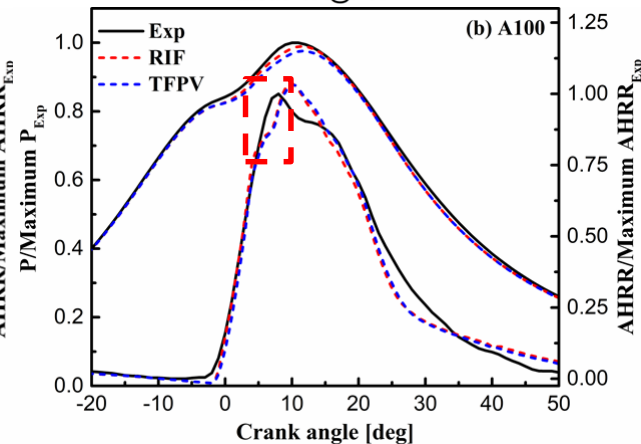
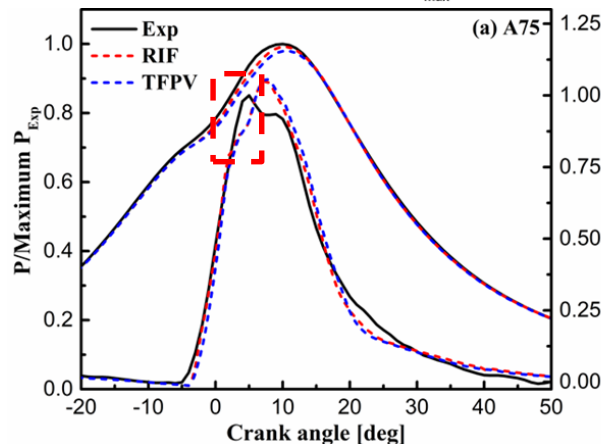
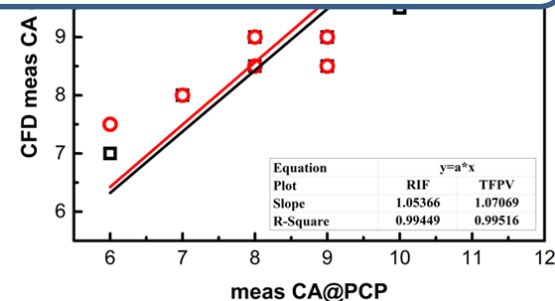
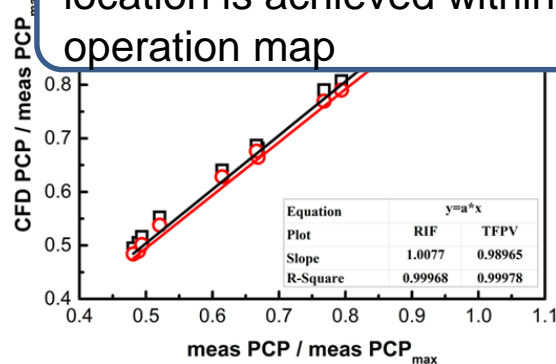
Heavy-Duty Engine: summary

Simulated operating conditions:



1. Improve flame wall interaction using $k - \omega SST$ model
2. Compare RIF and TFPV in presence of multiple injection

Very good prediction of Peak Cylinder Pressure and its location is achieved within a wide range of engine operation map



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2. Combustion Models

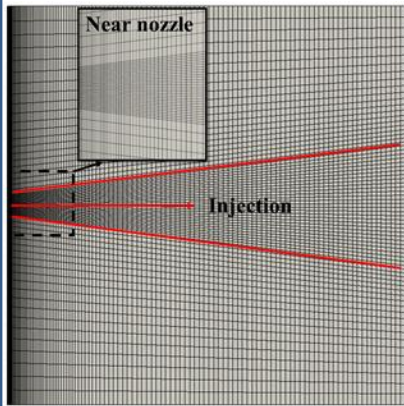
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Spray A case setup



108 mm cube

$k - \omega$ SST: 1.0 M cells, much refined near nozzle

$k - \varepsilon$: 0.4 M cells

$k - \omega$ SST case

- hollow cone injector
- Reitz-Diwakar breakup
- standard $k - \omega$ SST with modified γ_2
- Frassodati, 130 species & 2323 reactions

$k - \varepsilon$ case

- hollow cone injector
- Reitz-Diwakar breakup
- standard $k - \varepsilon$ with modified C_1
- Frassodati, 130 species & 2323 reactions

Chemistry table discretization

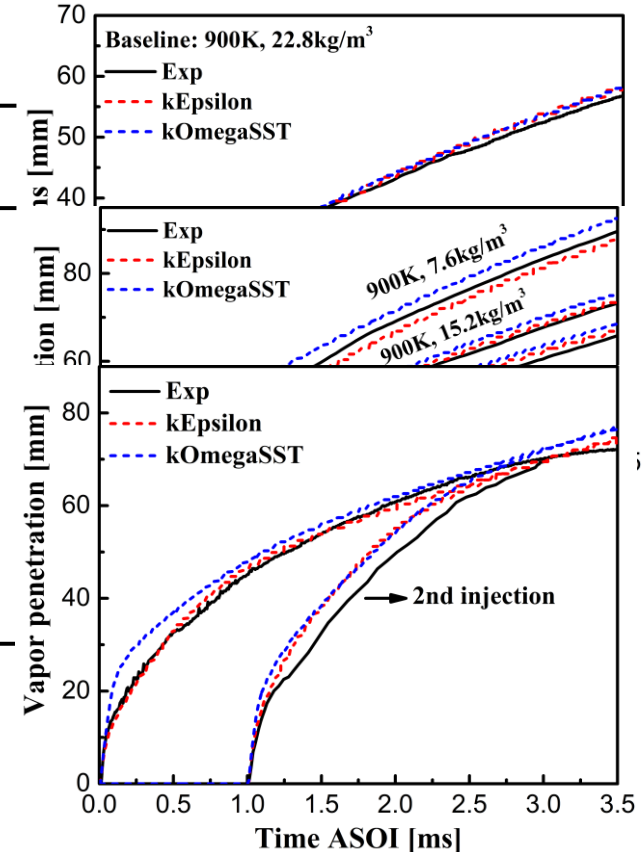
Temperature [K]	400, 450, 500, 550, 600, 650, 700, 750, 800, 850, 900, 1000, 1050, 1150, 1250, 1350
Pressure [bar]	45, 55, 65
Equivalence ratio	0, 0.2, 0.4, 0.5, 0.6, 0.7, 0.75, 0.8, 0.85, 0.9, 0.95, 1, 1.05, 1.1, 1.15, 1.2, 1.25, 1.3, 1.35, 1.4, 1.5, 1.6, 1.7, 1.8, 1.9, 2, 2.2, 2.4, 2.6, 2.8, 3, 3.5, 1e15
Mixture fraction segregation	0, 0.001, 0.005, 0.01, 0.05, 0.1, 1
Scalar dissipation rate [1/s]	0, 1, 3, 7, 20, 55, 100

Simulated operating conditions

Op	T_{amb} [K]	ρ_{amb} [kg/m ³]	P_{inj} [bar]	Injection Strategy [ms]	[O ₂]	Injector
1	900	22.8	1500	1.5	0%	#210370
2	900	15.2	1500	1.5	0%	#210370
3	900	7.6	1500	1.5	0%	#210370
4	700	22.8	1500	1.5	0%	#210370
5	900	22.8	1500	0.5/ 0.5 dwell/ 0.5	0%	#210370
6	900	22.8	1500	0.5/ 0.5 dwell/ 0.5	15%	ECN#306.22
7	900	22.8	1500	0.5/ 0.5 dwell/ 0.5	15%	#210370

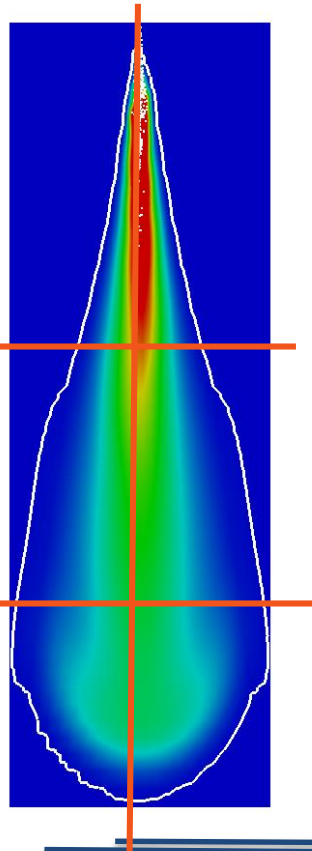
$k - \omega$ SST slightly overpredict the vapor penetration at the initial stage (0.15 ms) where liquids exit.

The accuracy is adequate since turbulent spray flames take place after the transient liquid penetration

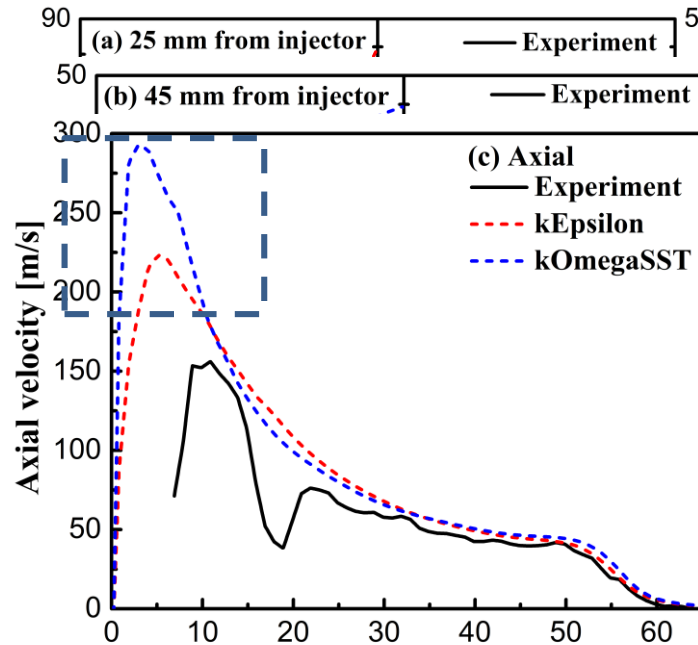


Non-reacting: velocity and mixture fraction

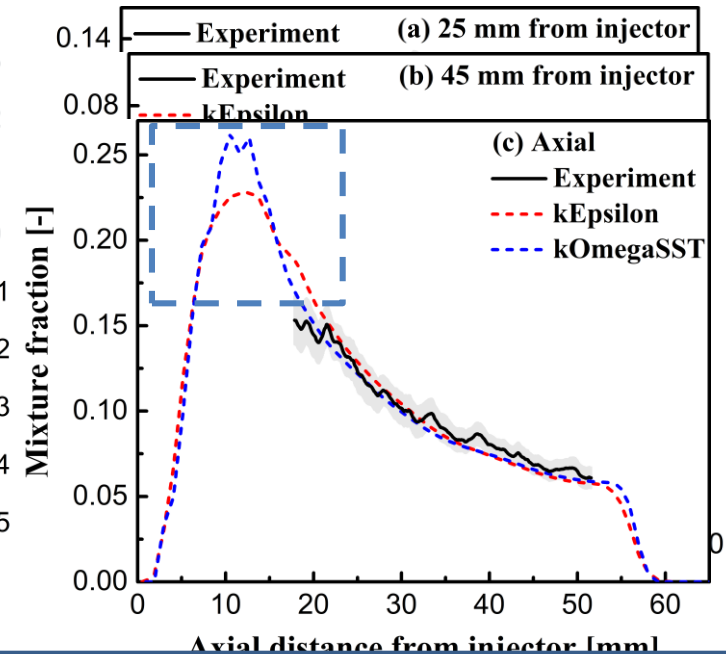
Op1 @ 1.5 ms ASOI



Velocity



Mixture fraction



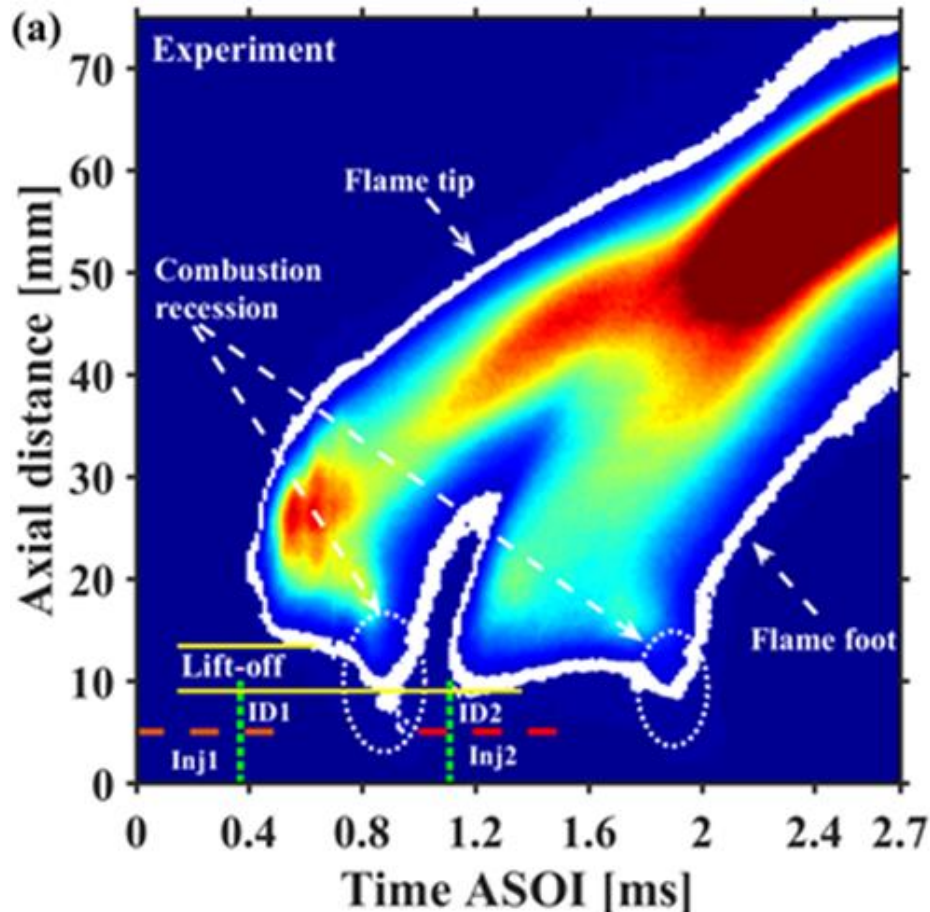
Differences between the distributions predicted by $k - \varepsilon$ and $k - \omega$ SST models occur along the centerline of the spray, approximately from 10 mm to 15 mm

Reacting: $I-x-t$ plot

$I-x-t$ (intensity - axial distance - time) is calculated by integrating OH^* chemiluminescence data from experiments or OH mass fraction from CFD along the symmetry axis

Features are shown in such plot:

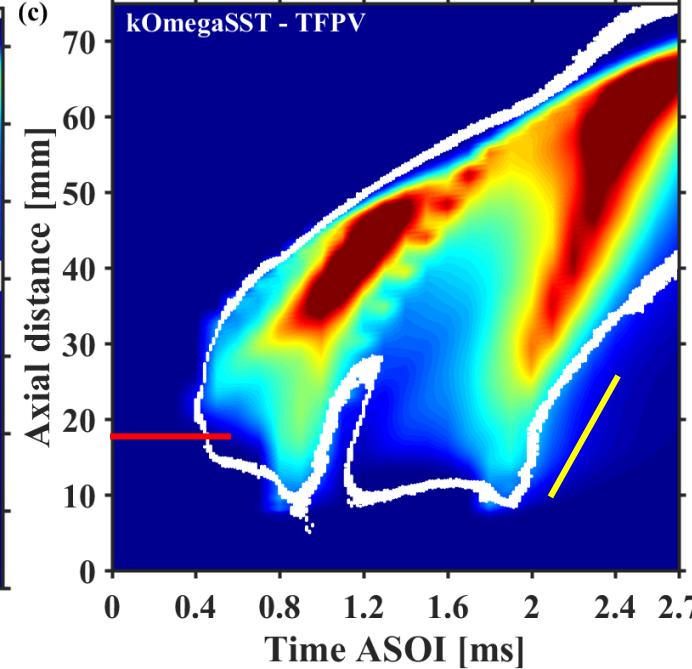
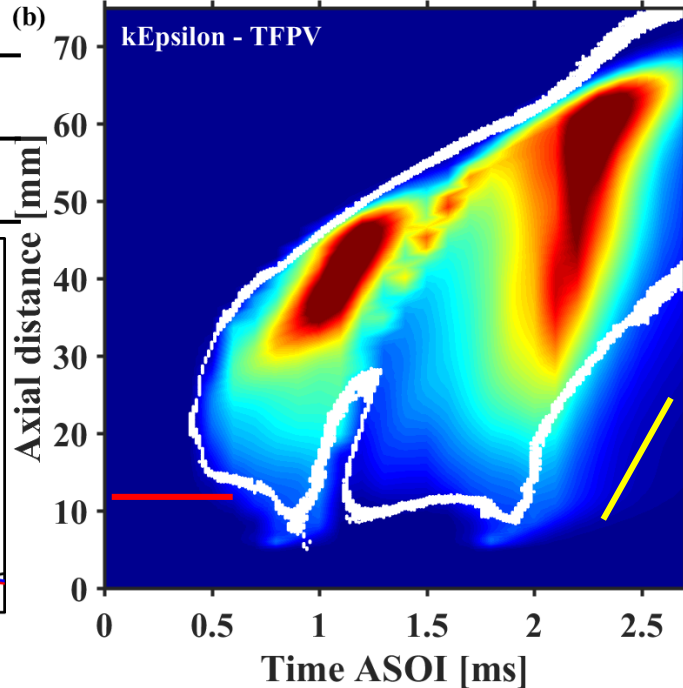
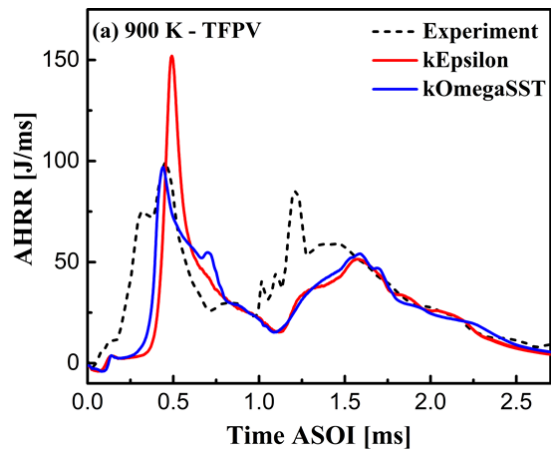
1. Ignition delay
2. Lift-off length
3. High temperature combustion recession
4. Flame tip and foot



Reacting (TFPV): $k - \varepsilon$ vs. $k - \omega$ SST

Ignition delay

Exp. [ms]	$k - \omega$ SST	$k - \varepsilon$
0.37 ± 0.1 $/0.11 \pm 0.08$	0.44/0.15	0.47/0.16



1. $k - \omega$ SST predicts longer lift-off due to richer mixture and higher velocity near injector
2. Similar description in terms of flame tip, while $k - \omega$ SST better captures the burn-out

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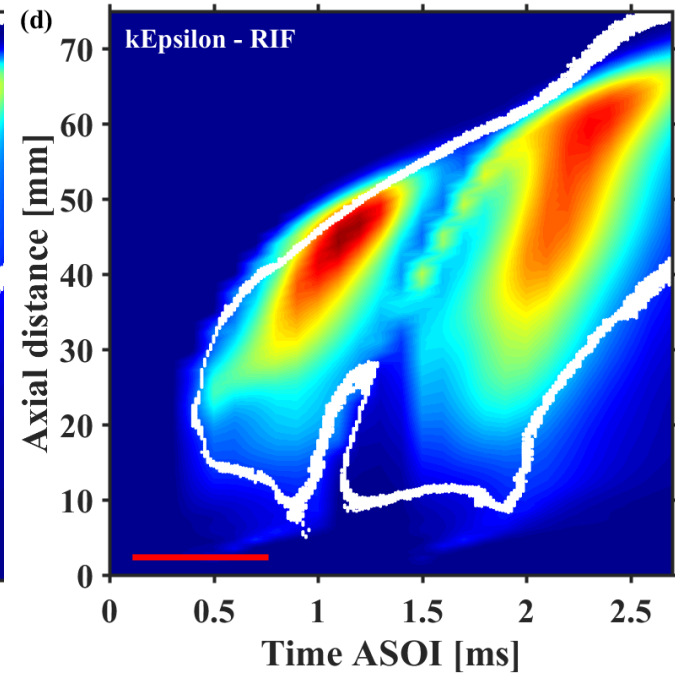
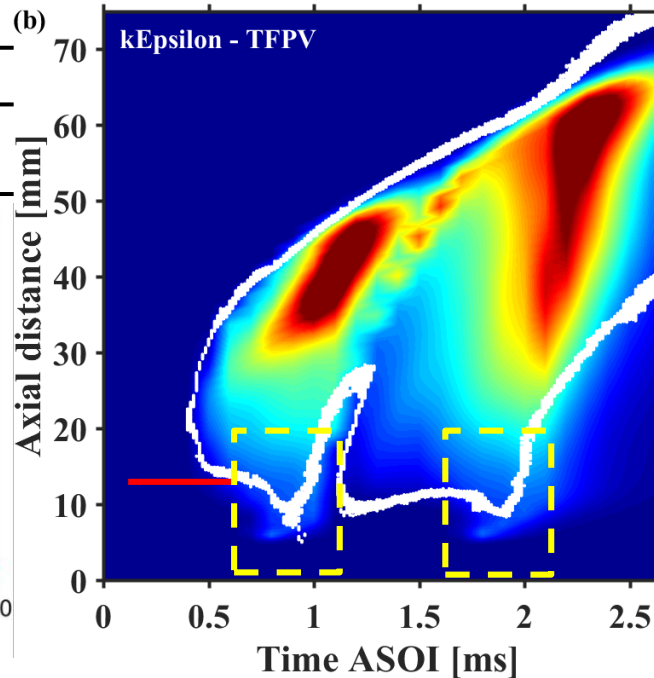
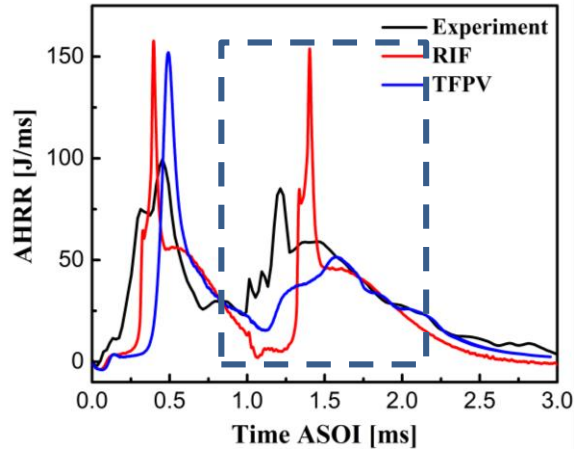
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Spray A: high-temperature reactions

Ignition delay

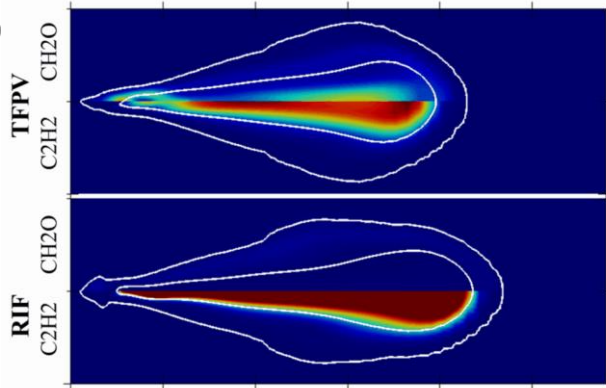
Exp. [ms]	RIF	TFPV
0.37 ± 0.1	0.39/0.24	0.47/0.16
$/0.11 \pm 0.08$		



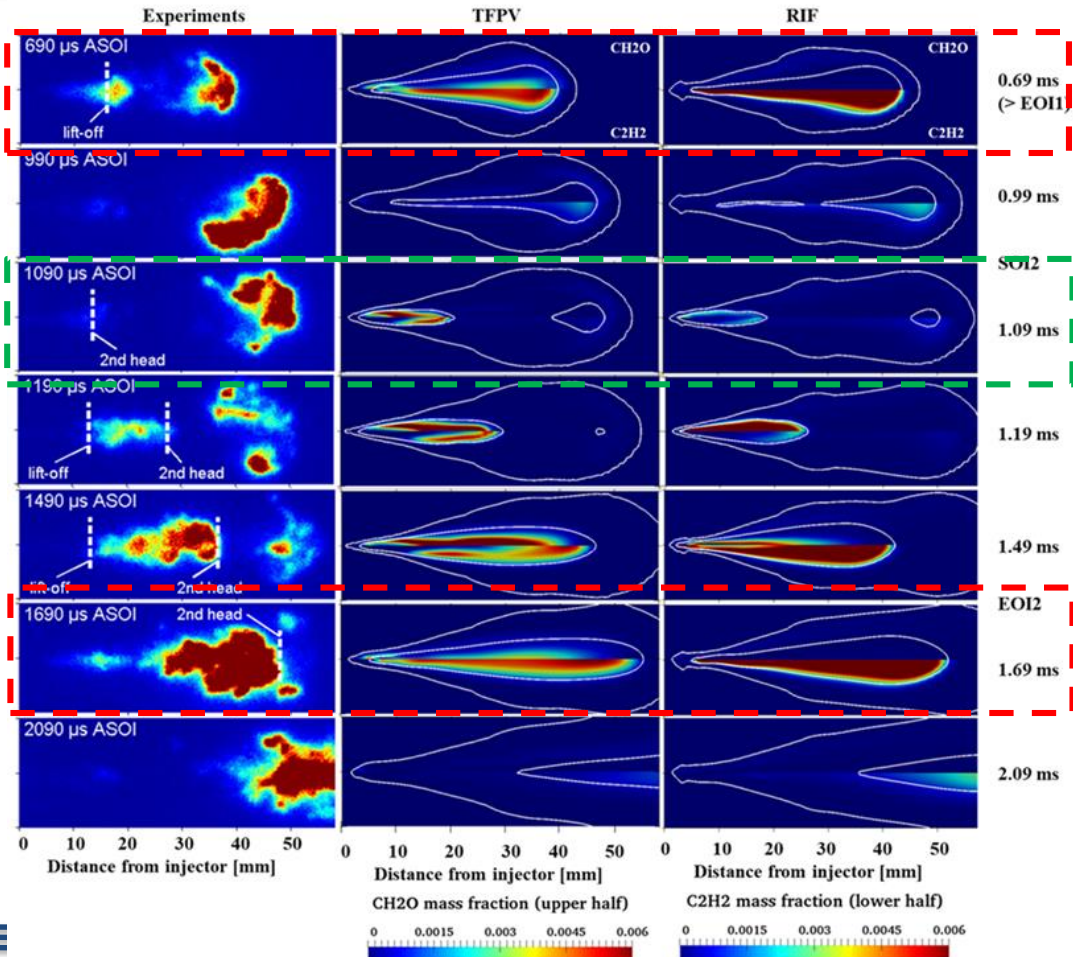
1. The progress variable approach gives better description of ignition and combustion of the second injection event;
2. TFPV could correctly predict the lift-off and combustion recession

Spray A: low-temperature reactions

Capability of capturing the cool flame characteristics and tracking low-temperature products formaldehyde (CH_2O)

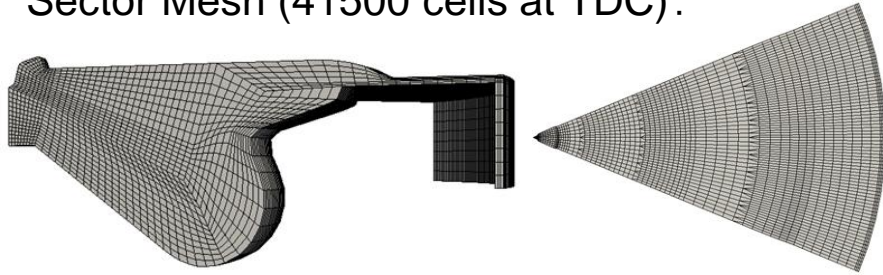


- 0.69 and 1.69 ms: The low-temperature combustion recession was observed in TFPV case
- 1.09 ms: TFPV predicts more distinct CH_2O in the near nozzle region



Light-Duty Engine: case setup

Sector Mesh (41500 cells at TDC):

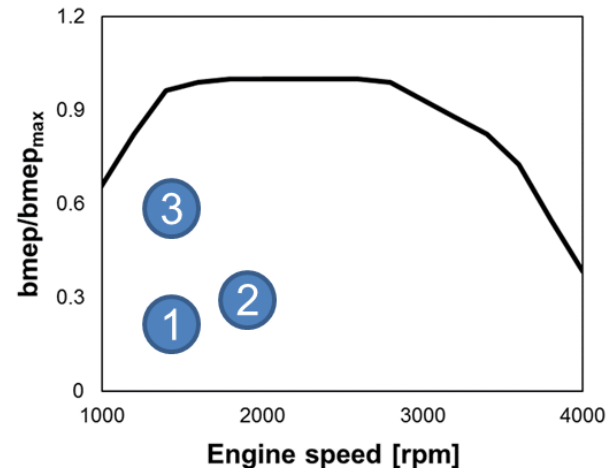


Engine Specifications:

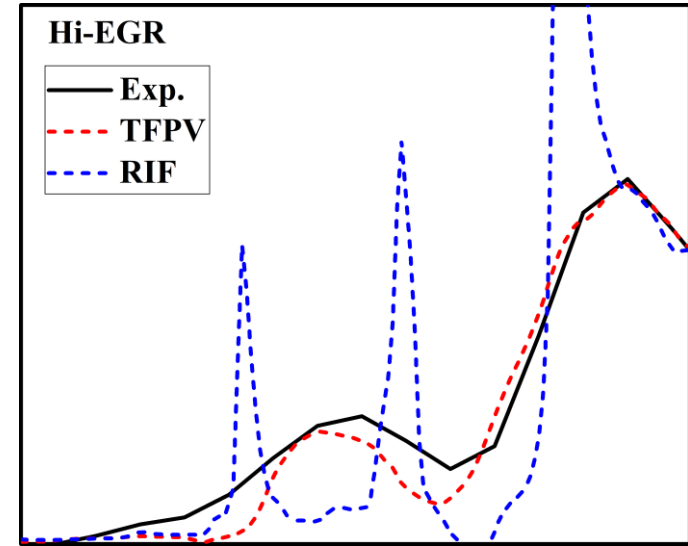
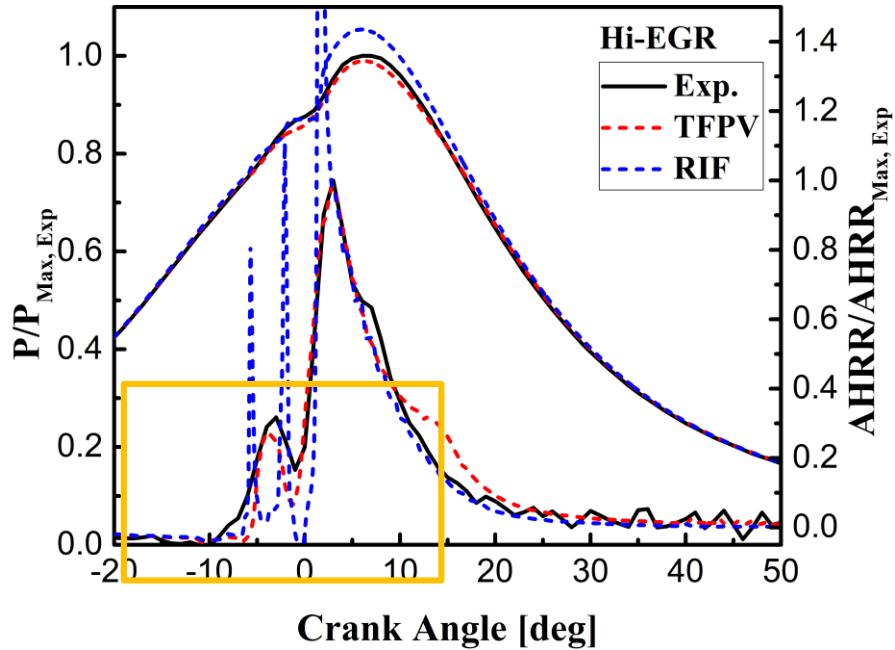
Bore	96 mm
Stroke	105 mm
Compression ratio	18:1
Injector holes	8
Injection cone angle	130°

Simulated operating conditions:

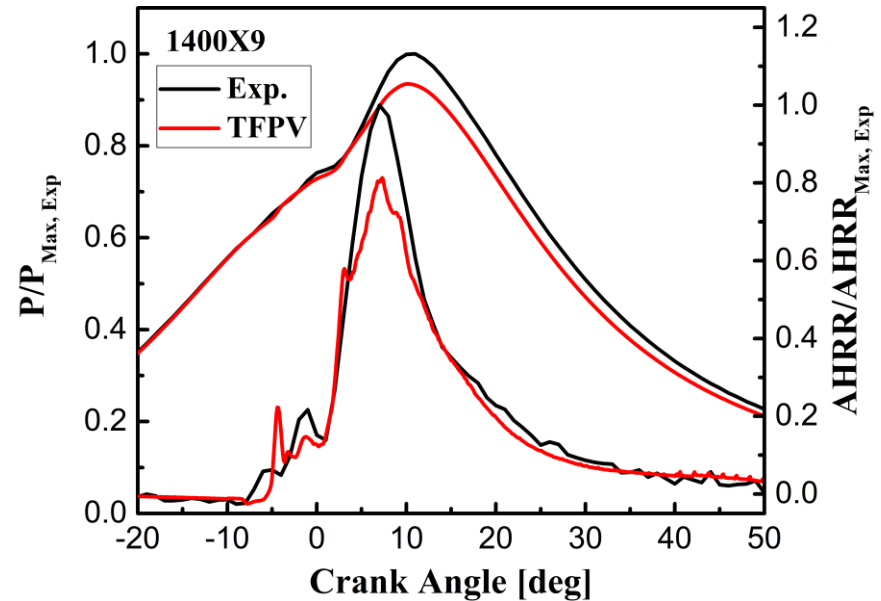
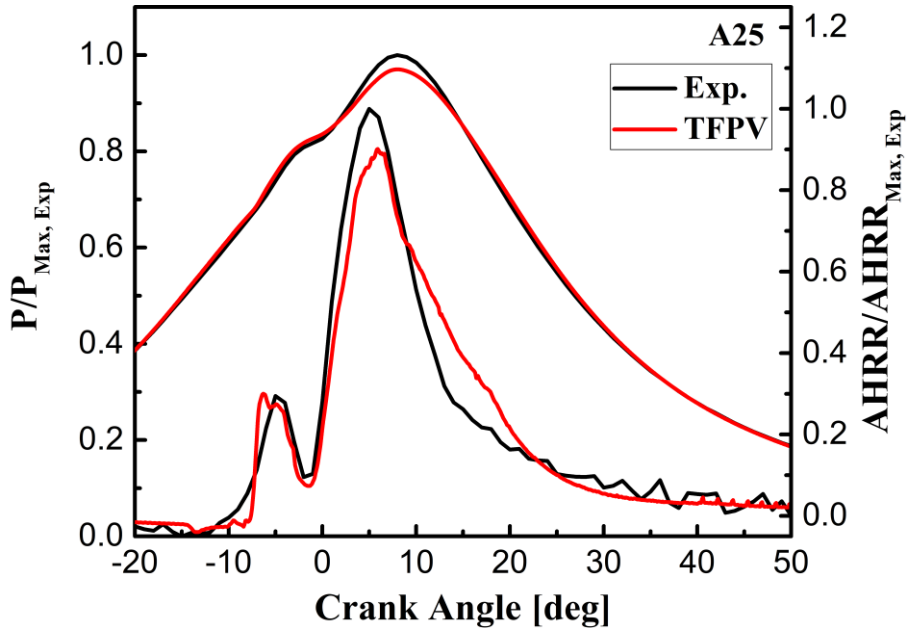
	Hi-EGR	A25	1400X9
Speed [rpm]	1400	2000	1400
Load [%]	25	25	50
#injections	3	3	3
EGR [%]	40	22	14
λ	2.3	1.85	1.2



3 low load operation conditions, where pilot injections are present, were chosen.



TFPV achieves better agreement with experiments in terms of pressure & AHRR
Similar to Spray A case, the progress variable approach predicts smoother AHRR



For A25 case, TFPV could predict the pressure and AHRR very well, while further investigation should be conducted for 1400X9 case.

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TFPV vs. RIF:

1. Both models could provide encouraging results in heavy-duty engine application, when only one main injection is used.
2. The advantages of TFPV become more evident in the presence of multiple injections:
 - Ignition delay and AHRR of the second injection event (Spray A)
 - Lift-off, low- and high-temperature combustion recession (Spray A)
 - Pressure and AHRR (LD engine)

$k - \omega$ SST vs. $k - \varepsilon$ model:

1. The $k - \omega$ SST could give a comparable prediction with respect to $k - \varepsilon$ in both non-reacting (liquid and spray penetration, mixture fraction and velocity distribution) and reacting case.

Next step:

1. Comprehensive validation of TFPV in LD engine with multiple injections
2. Use of $k - \omega$ SST in practical engine applications

Thanks for your
attention!!!